

# REDISTRIBUTION OVER GAINS AND LOSSES: SOCIAL PREFERENCES & MORAL RULES

*UNIVERSITY OF NAVARRA — INTERNAL SEMINAR*

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de Navarra



- 1** Setting the Scene
- 2 Experimental Design
- 3 Identification Strategy
- 4 Results
- 5 Conclusion

# WHY DO PEOPLE REDISTRIBUTE?

SOCIAL PREFERENCES ... ?

## ■ Redistrib. over losses — more selfish

- ▶ List (2007), Bardsley (2008), Cappelen et al. (2013), Boun et al. (2018)
- ▶ Can't be captured by canonical models of social preferences

## ■ Explanation:

- ▶ Social Prefs. + Loss Aversion
- ▶ Moral Rules

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# EXPLANATIONS — WHY 2 PATHS?

## ■ Classical Theoretical Predictions — **Too Selfish**

- ▶ Free Riding, No Donations, ...

## ■ The **Giants Speak** (I): Harsanyi (1955) and Sen (1977)

Amartya Sen (1977). **Rational Fools:** ...

*“... if it does not make you feel personally worse off, but you think it is wrong and you are ready to do something to stop it, it is a case of **commitment**.”*

## ■ **Experimental Evidence** of Altruism in the 70's – 90's

- ▶ **Public Goods:** Böhm (1972); **Ultimatum Game:** Güth et al. (1982); **Dictator Game:** Forsythe et al. (1994); **Trust Game:** Berg et al. (1995); ...

## ■ **Theoretical models** of Social Preferences in the 90's – 2000's

- ▶ Rabin (1993), Fehr and Schmidt (1999), Charness and Rabin (2002), ...

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## Horse-Race

Test whether

- **Self-interest** (i.e., Social Preferences & Loss Aversion)
- **Disinterestedness** (i.e., moral rules)

**shape redistribution**

- Replicate gains — losses asymmetry
- Social prefs. & Moral Rules drive redistribution

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  - Other Tasks
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# EXPERIMENTAL DESIGN

# EXP. DESIGN: MAIN GAME(S)

Decision	Gains		Losses	
	Left	Right	Left	Right
1	(£10, £0)	(£0, £0)	(£0, -£10)	(-£10, -£10)
2	(£10, £0)	(£1, £1)	(£0, -£10)	(-£9, -£9)
3	(£10, £0)	(£2, £2)	(£0, -£10)	(-£8, -£8)
4	(£10, £0)	(£3, £3)	(£0, -£10)	(-£7, -£7)
5	(£10, £0)	(£4, £4)	(£0, -£10)	(-£6, -£6)
6	(£10, £0)	(£5, £5)	(£0, -£10)	(-£5, -£5)
7	(£10, £0)	(£6, £6)	(£0, -£10)	(-£4, -£4)
8	(£10, £0)	(£7, £7)	(£0, -£10)	(-£3, -£3)
9	(£10, £0)	(£8, £8)	(£0, -£10)	(-£2, -£2)
10	(£10, £0)	(£9, £9)	(£0, -£10)	(-£1, -£1)
11	(£10, £0)	(£10, £10)	(£0, -£10)	(£0, £0)

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# EXP. DESIGN: OTHER TASKS

## ■ Satisfaction Ratings

- ▶ 64 income distributions,  $n = 4$  people
- ▶ Rate your satisfaction  $\in [-50, +50]$

## ■ WTA & WTP

- ▶ WTA: price for selling a mug
- ▶ WTP: price for buying (the same) mug
- ▶ Incentive-Compatible: BDM mechanism

## ■ Impartial Moral Judgments

- ▶ Person  $A$  & Person  $B$  play all the main games
- ▶ You are neither  $A$  nor  $B$
- ▶ Judge Person  $A$  for each action in each game —  $22 \cdot 2 = 44$  Judgments

## ■ Procedures

- ▶ Randomise order of tasks
- ▶ 2 Experiments: Students ( $N_1 = 305$ ) and Representative Sample ( $N_2 = 348$ )
- ▶ Experiment & Statistical Analyses pre-registered

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# IDENTIFICATION STRATEGY

## Inequality &amp; Loss Aversion

$$U_i(\pi_i, \pi_j) = \begin{cases} \pi_i - \beta_i \cdot \text{Max}\{\pi_i - \pi_j, 0\} & \text{if } \pi_i \geq 0 \\ \lambda_i \cdot \pi_i - \beta_i \cdot \text{Max}\{\pi_i - \pi_j, 0\} & \text{if } \pi_i < 0 \end{cases}$$

Let  $S_{id}$  be the Satisfaction Rating of subject  $i$  for distribution  $d$ . Then, we estimate

$$\hat{S}_{id}(\pi_{id}, \dots, \pi_{jd}) = \hat{\delta}_0 + \hat{\delta}_1 \cdot \pi_{id} + \frac{e^{\hat{\delta}_2}}{1 + e^{\hat{\delta}_2}} \cdot \left( \frac{\sum_{j \neq i} \max\{\pi_{jd} - \pi_{id}, 0\}}{3} \right)$$

- $\hat{\delta}_1 = 1$
- $\frac{e^{\hat{\delta}_2}}{1 + e^{\hat{\delta}_2}} \in [0, 1] \rightarrow \frac{e^{\hat{\delta}_2}}{1 + e^{\hat{\delta}_2}} \equiv \beta_i$

## Inequality & Loss Aversion

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Let  $k > \bar{x} > x > \underline{x} \in \mathbb{R}^*$ . Then,

- $\langle x, x \rangle \succ \langle \bar{x}, \underline{x} \rangle \Leftrightarrow \beta_i > \frac{\bar{x} - \tilde{x}}{\bar{x} - \underline{x}}$
- $\langle x - k, x - k \rangle \succ \langle \bar{x} - k, \underline{x} - k \rangle \Leftrightarrow \beta_i > \lambda_i \cdot \left( \frac{\bar{x} - \tilde{x}}{\bar{x} - \underline{x}} \right)$



## Social Efficiency & Loss Aversion

$$U_i(\pi_i, \pi_j) = \begin{cases} (1 - \rho_i) \cdot \pi_i + \rho_i \cdot (\pi_i + \pi_j) & \text{if } \pi_i \geq 0 \\ \lambda_i \cdot (1 - \rho_i) \cdot \pi_i + \rho_i \cdot (\pi_i + \pi_j) & \text{if } \pi_i < 0 \end{cases}$$

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- $\frac{1}{1 + e^{\hat{\omega}_1}} + \frac{e^{\hat{\omega}_1}}{1 + e^{\hat{\omega}_1}} = 1$  &  $\frac{1}{1 + e^{\hat{\omega}_1}}, \frac{e^{\hat{\omega}_1}}{1 + e^{\hat{\omega}_1}} \in [0, 1]$
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## Maximin & Loss Aversion

$$U_i(\pi_i, \pi_j) = \begin{cases} (1 - \gamma_i) \cdot \pi_i + \gamma_i \cdot \text{Min}\{\pi_i, \pi_j\} & \text{if } \pi_i \geq 0 \\ \lambda_i \cdot (1 - \gamma_i) \cdot \pi_i + \gamma_i \cdot \text{Min}\{\pi_i, \pi_j\} & \text{if } \pi_i < 0 \end{cases}$$

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- $\frac{1}{1 + e^{\hat{\zeta}_1}} + \frac{e^{\hat{\zeta}_1}}{1 + e^{\hat{\zeta}_1}} = 1$  &  $\frac{1}{1 + e^{\hat{\zeta}_1}}, \frac{e^{\hat{\zeta}_1}}{1 + e^{\hat{\zeta}_1}} \in [0, 1]$
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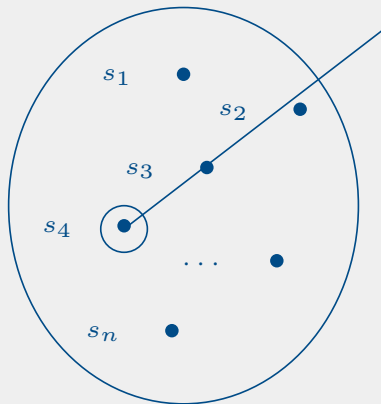
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# MORAL RULES: BEHIND THE SCENES

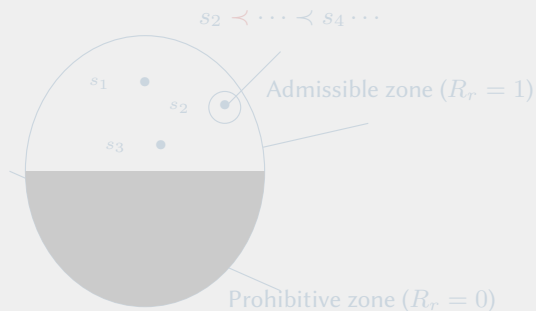
## Social Preferences

$$s_4 \succ s_2 \dots$$



## Disinterested Morality

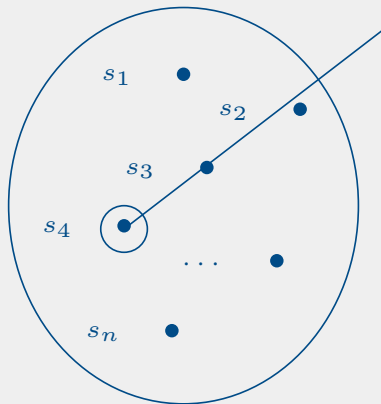
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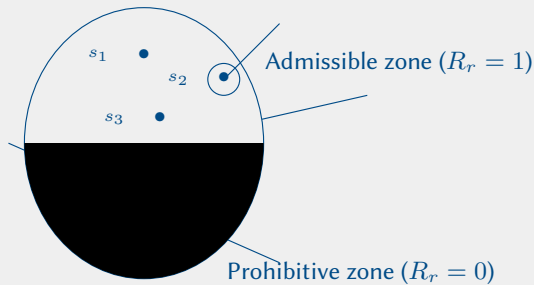
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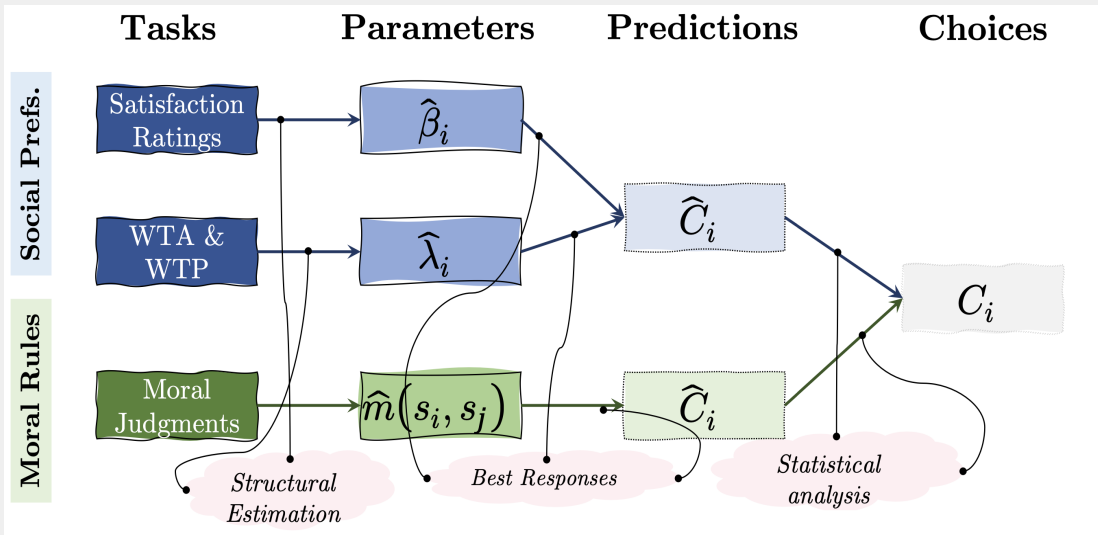


## Disinterested Morality

$$s_2 \prec \dots \prec s_4 \dots$$



# EXP. DESIGN: THE BIG PICTURE

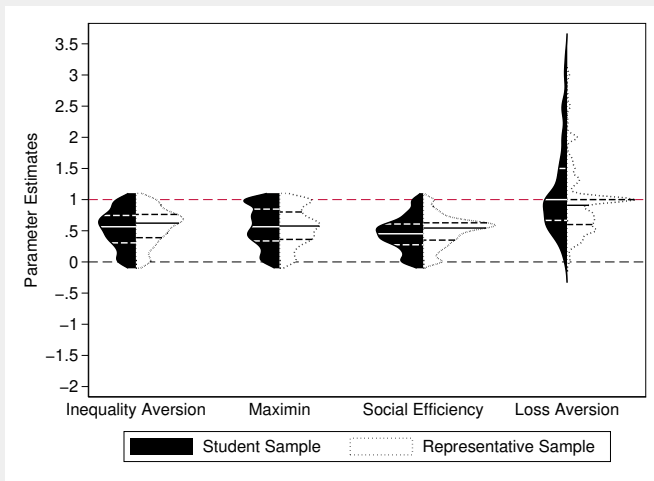


# RESULTS



- 1 Setting the Scene
- 2 Experimental Design
- 3 Identification Strategy
- 4 Results**
  - Descriptive Results
  - Regression Results
  - Distributional Results
- 5 Conclusion

# RESULTS (I): PARAMETER ESTIMATES



**Figure 1:** Violin Plots of the calibrated parameters

# RESULTS (II): MORAL JUDGMENTS

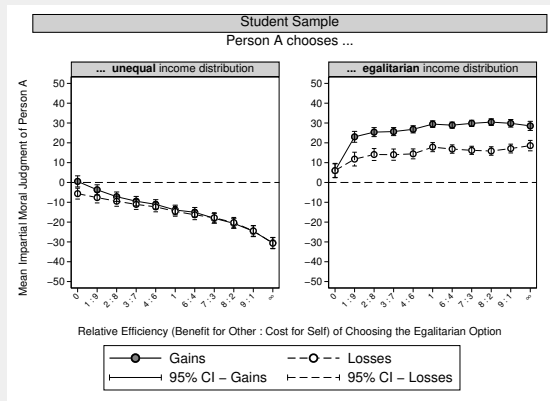


Figure 2: Moral ratings — Student Sample

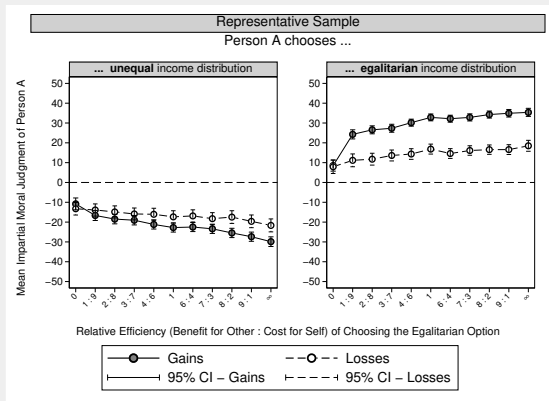


Figure 3: Moral ratings — Representative Sample

# RESULTS (III): DICTATOR GAMES — PLAY

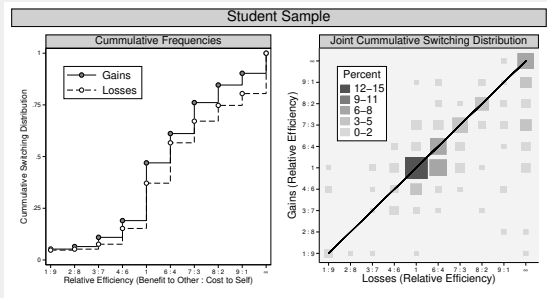


Figure 4: Switch point — Student Sample

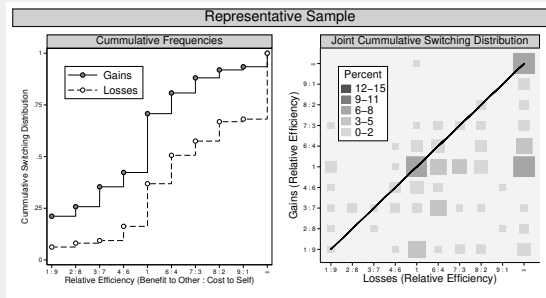


Figure 5: Switch point — Representative Sample

# RESULTS (IV): REGRESSION RESULTS

## Regression Specification – Random-effects Logit

$$\Pr [a_{it} = \text{egal} \mid \theta_i, b_t, \mathbf{P}'_{it}, \mathbf{O}'_i, \mathbf{S}'_i] = \Lambda (\beta_0 + \beta_1 \cdot \mathbb{1}_{\text{losses}} + \beta_2 \cdot b_t + \beta_3 \cdot \mathbb{1}_{\text{losses}} \cdot b_t \\ + \mathbf{P}'_{it} \cdot \beta_4 + \mathbf{O}'_i \cdot \beta_5 + \mathbf{S}'_i \cdot \beta_6 + \theta_i + \varepsilon_{it} )$$

Where

- $\mathbb{1}_{\text{losses}} = 1$  if dictator games over losses
- $b_t =$  benefit to others from choosing  $a_{it} = \text{egal}$
- $\mathbf{P}'_{it} =$  vector of predictions for subject  $i$  and game  $t$
- $\mathbf{O}'_i =$  Vector of order-effects dummies
- $\mathbf{S}'_i =$  Vector of 3-way interactions

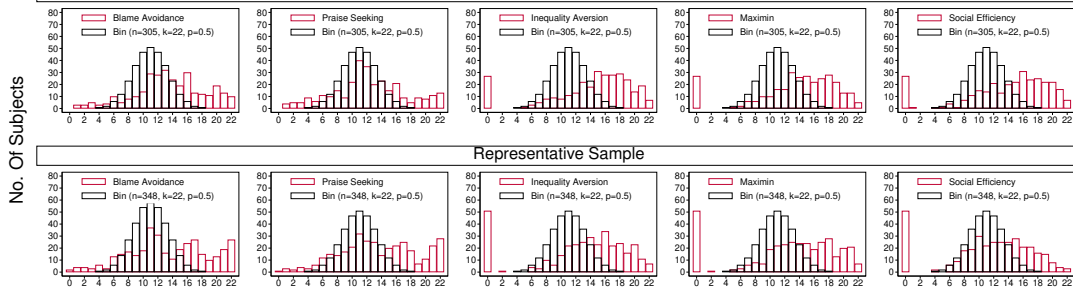
# RESULTS (IV): REGRESSION RESULTS

	Student Sample		Representative Sample	
	$\beta$ / SE	AME	$\beta$ / SE	AME
<i>Game Features</i>				
<i>b</i>	0.306*** (0.113)	0.064***	0.532*** (0.124)	0.043***
<i>losses</i>	2.101** (0.703)	0.010	2.800*** (0.614)	-0.068***
<i>b</i> × <i>losses</i>	-0.238* (0.141)		-0.417*** (0.137)	
<i>Moral Rules</i>				
Blame Avoidance	0.582 (0.549)	0.072***	-0.301 (0.539)	-0.108*
Praise Seeking	-1.067 (0.730)	0.006	0.430 (0.656)	0.043
<i>mj(egal)</i> – <i>mj(uneq)</i>	0.012 (0.009)	0.001*	0.020*** (0.007)	0.002***
<i>Social Preferences</i>				
Inequality Aversion	-0.964 (0.608)	0.022	-0.528 (0.560)	0.041*
Maximin	-0.683 (0.527)	0.029	0.130 (0.584)	0.031
Social Efficiency	1.240 (0.839)	0.008	2.617*** (0.752)	0.047**
Constant	-3.562*** (0.574)		-3.329*** (0.526)	



# RESULTS (V): TESTING AGAINST THE VOID

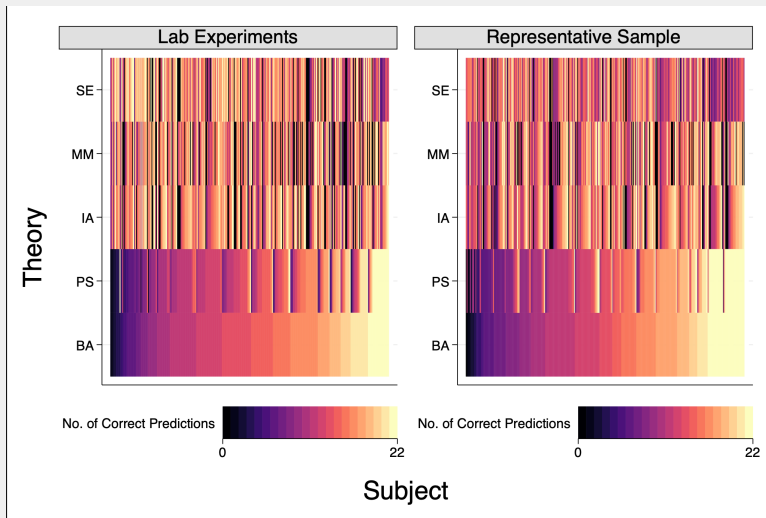
## Student Sample



No. of Successes (out of 22 games)



# RESULTS (VI): COMPLEMENTARITY



# RESULTS (VII): HORSE-RACE

## Multinomial-Dirichlet

- **Multinomial:**  $Pr(k_1, \dots, k_t; N; p_1, \dots, p_t) = \frac{N!}{\prod_{t=1}^T k_t!} \cdot \prod_{t=1}^T p_t^{k_t}$
- **Dirichlet:**  $Pr(p_1, \dots, p_t; \alpha_1, \dots, \alpha_t) = \frac{\Gamma(\sum_{t=1}^T \alpha_t)}{\prod_{t=1}^T \Gamma(\alpha_t)} \cdot \prod_{t=1}^T p_t^{\alpha_t - 1}$
- **Dirichlet-Multinomial:**  $\mathcal{L}(\mathbf{k}; \mathbf{p}; \rho) = \frac{\prod_{t=1}^T \prod_{r=1}^{k_t} (p_t \cdot (1-\rho) + (r-1) \cdot \rho)}{\prod_{r=1}^N ((1-\rho) + (r-1) \cdot \rho)}$

Where

- ▶  $N$  = Number of observations
- ▶  $k_t$  = Number of successes of theory  $t$
- ▶  $p_t$  = % of subjects following theory  $t$
- ▶  $\alpha_t$  = Prior probability of  $p_t$
- ▶  $\rho = \frac{1}{1 + \sum_{t=1}^T \alpha_t}$  = Overdispersion

# RESULTS (VII): HORSE-RACE

	Student Sample		Representative Sample	
	MLE	MoM	MLE	MoM
<i>Moral Rules</i>				
Blame Avoidance	0.176*** (0.004)	0.172** (0.082)	0.195*** (0.005)	0.185* (0.097)
Praise Seeking	0.159*** (0.004)	0.162* (0.092)	0.199*** (0.005)	0.187* (0.099)
<i>Social Preferences</i>				
Inequality Aversion	0.177*** (0.004)	0.179*** (0.062)	0.169*** (0.005)	0.175** (0.074)
Maximin	0.172*** (0.004)	0.174*** (0.062)	0.168*** (0.005)	0.174** (0.077)
Social Efficiency	0.152*** (0.004)	0.156** (0.066)	0.169*** (0.005)	0.166** (0.072)
<i>Selfishness</i>				
Homo Economicus	0.142*** (0.004)	0.143 (0.096)	0.119*** (0.004)	0.123 (0.129)
<i>Overdispersion</i>				
$\rho$	0.020*** (0.001)	0.016*** (0.002)	0.042*** (0.002)	0.027*** (0.003)

# CONCLUSION

# ROADMAP

- 1 Setting the Scene
- 2 Experimental Design
- 3 Identification Strategy
- 4 Results
- 5 Conclusion**

# CONCLUSION

1. People are more **selfish** over **losses**
2. Asymmetry in distributional behavior explained by moral rules & social preferences

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THANK YOU!  
QUESTIONS?